

#### Article from:

### ARCH 2014.1 Proceedings

July 31-August 3, 2013

# Trend Analysis Algorithms and Applications to Health Rate Review

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### Outline

- Introduction
- Data Preprocessing
- Trend Analysis Algorithms and Package
- Application Results

### **TN Healthcare Rate Review Project**

- MTSU's Actuarial Science Program was selected by the Tennessee Department of Commerce and Insurance(TDCI) to evaluate the rate review procedure. (TN State received both Cycle I & Cycle II grants from the HHS)
  - Cycle I: Actuaries' perspective on rate review process: evaluations, suggestions, improvements
  - Cycle II: Training courses and development for trend analysis.
- HHS released a final rule that addresses an assortment of issues with respect to the PPACA medical loss ratio (MLR) requirements.

### Challenges

- There has a lot of factors which can be considered as effects on trend analysis:
- Trend analysis challenges:
  - Population Attributes
    - Aging / Morbidity / Care management / Selection by need
  - Accounting Practices
    - Cost shifting/ Billing and coding changes/ Inflation/ Benefit changes
  - Seasonality
  - Credibility
  - Deductible leveraging
  - MLR limitation
  - Projected period

### Data Preprocessing

• Analysis on raw data



Apr-08 Oct-08 May-09 Nov-09 Jun-10 Dec-10 Jul-11 Jan-12

—Premium —Claim

### Data Preprocessing

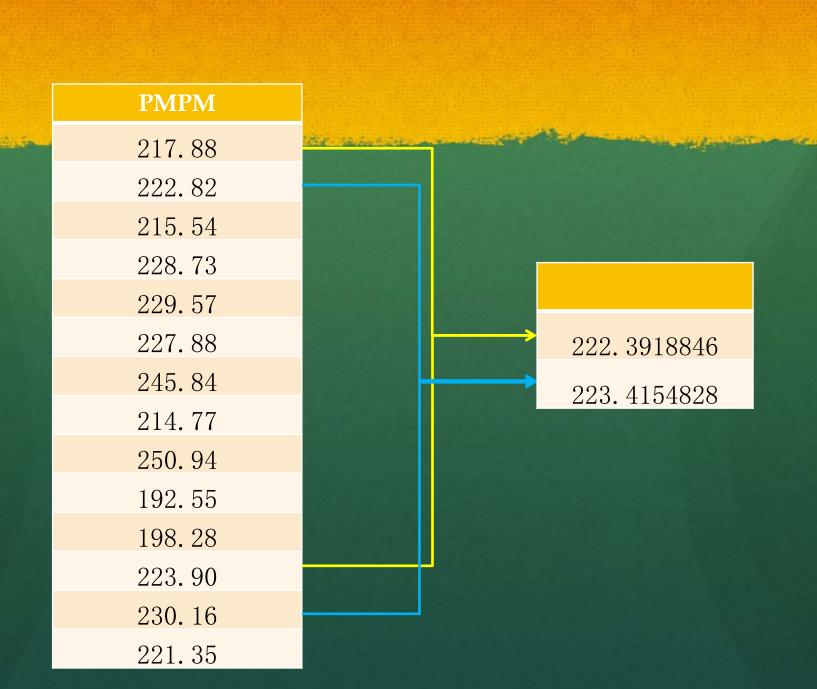
- Needs of preprocessing from the raw data:
  - Data value among years can not be compared due to inflation rate
  - Data value are unstable
  - Data doesn't have other factors which may influence on the future trend.
- Adjustments:
  - Use individual incurred claims--per member per month data(PMPM)
  - Smooth data

### Data Preprocessing

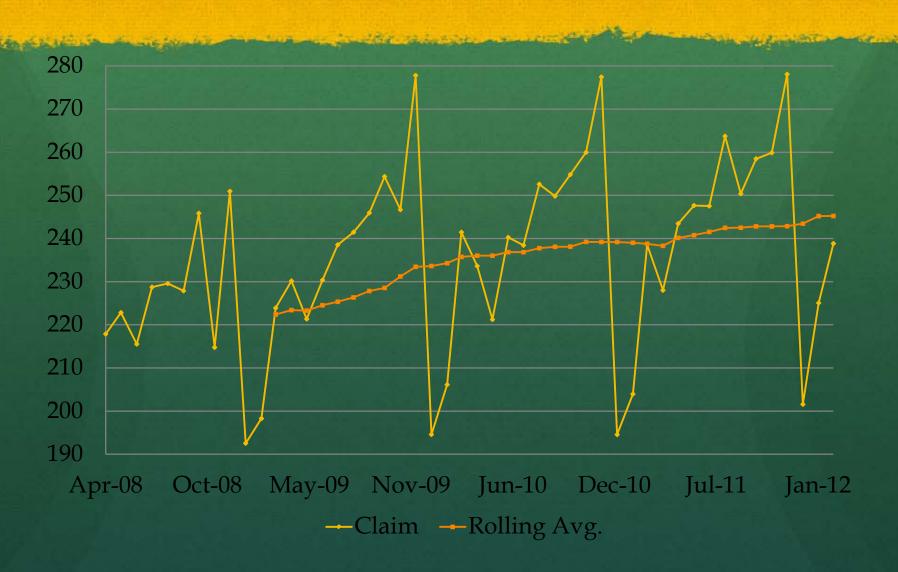
• Get the PMPM:

Individual Incurred Claims = 
$$\frac{Icurred\ Claims}{Members}$$

- Smooth data Rolling Average method:
  - Use 12-month rolling average
  - Undo rolling when calculate real predicted claims *Predicted Claims* = *Predicted 12-month Rolling Average Claims* ×12 – *the sum of previous eleven month Claims*.



### Rolling Average Data



### Trend Analysis Algorithms

Rolling Average Method

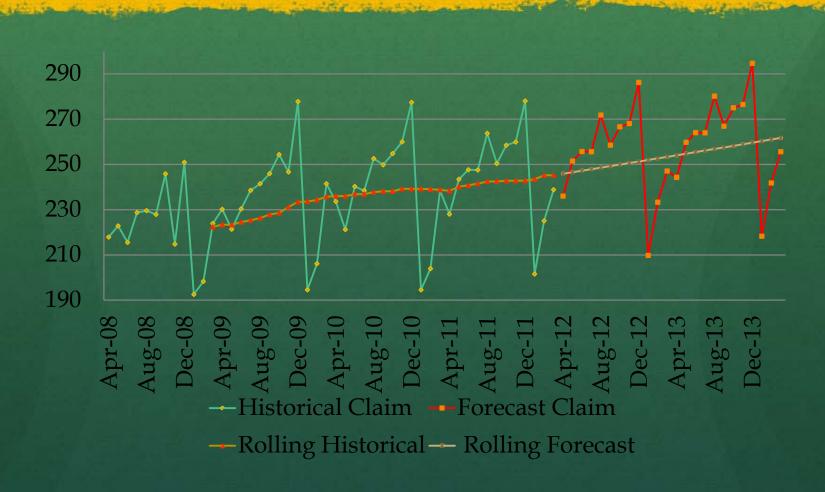
Increasing Rate<sub>i</sub> = 
$$\frac{Claim_i - Claim_{i-1}}{Claim_{i-1}} * 100\%$$

$$Average Rate = \frac{\sum_{i=1}^{m} (Increased \ Rate \ i)}{m}$$

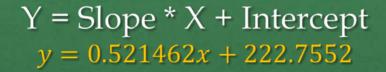
## Rolling Average Data & Trend

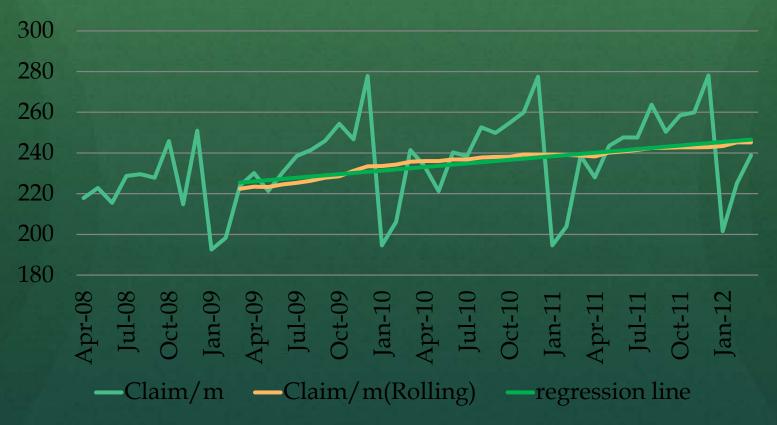
<u>Date</u>	<u>Claim Per Member</u>	Claim Per Member (R)	<u>% Change</u>
Mar-09	223.90	222.39	(No Prior Month)
Apr-o9	230.16	223.42	0.46%
May-o9	221.35	223.29	-0.06%
Jun-09	230.37	224.53	0.55%
Dec-11	278.06	242.86	0.02%
Jan-12	201.58	243.44	0.24%
Feb-12	225.06	245.20	0.72%
Mar-12	238.83	245.22	0.01%
		Average %Δ	0.27%

### Rolling Prediction



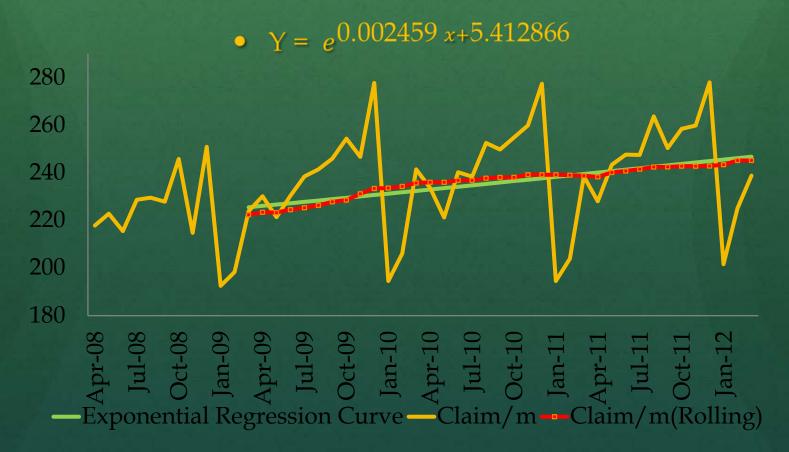
### Linear Regression





### **Exponential Regression**





# Linear vs. Exponential Regression

Short term and long term forecasting.



### Multiple Linear Regression

- Because of seasonality of the monthly data, rolling average is also suitable during the data preparation.
- If we have the detailed data of every trend components, such as age, policies, inflation, cost shifting and so on, we can use multiple linear regression,  $y = \hat{\beta}_0 + \hat{\beta}_1 x_1 + \hat{\beta}_2 x_2 + \hat{\beta}_3 x_3 + \cdots$ , where  $x_i$  represents the quantity of the i<sup>th</sup> trend factor.

### Autoregressive Model (AR): Time Series

- Autoregressive(AR) Model explains data in a time series by lagged values.
- The AR(p) model
  - Assumes the value  $Y_t$  linearly depends on its p lagged values:

$$Y_{t} = \beta_{0} + \beta_{1}Y_{t-1} + \beta_{2}Y_{t-2} + \dots + \beta_{p}Y_{t-p} + \varepsilon_{t}$$

- The AR(1) is a special case with p=1
- It implies each value is determined by one period ago.

$$Y_t = \beta_0 + \beta_1 Y_{t-1} + \varepsilon_t$$

## Choosing The Correct "p"

- Correct "p" indicates the number of appropriate lags
- For each AR(p) model find the RSS(p)

$$RSS(p) = \sum_{i=1}^{n} (Y_i - \hat{Y}_i)^2$$

- Where  $\hat{Y}_i$  is the value *estimated* by AR(p) at period i
- RSS(p) is the residual sum of squares
- RSS(p) used to compute  $\hat{p}$ , the estimator of correct p
  - Correct "p" minimizes BIC(p) among
    - $p = 0, 1, ..., p_{max}$ , where
      - $p_{max}$  is the largest value of p considered.

### Choosing The Correct "p"

- Bayes information criterion (BIC):
  - Chosen p minimizes the Bayes information

$$BIC(p) = \ln\left(\frac{RSS(p)}{n}\right) + (p+1)\frac{\ln n}{n}$$

- Akaike information criterion (AIC):
  - Chosen p minimizes Akaike information

$$AIC(p) = \ln\left(\frac{RSS(p)}{n}\right) + (p+1)\frac{2}{n}$$

• AIC may slightly over estimate the optimal p.

### Optimal p for AR(p)

p	BIC	AIC
1	-0.56801	-0.65598
2	-0.43986	-0.57317
3	-0.42983	-0.6094
4	-0.31786	-0.5446
5	-0.26237	-0.5372

# AR(1): Rolling Average Data

Date	Claim (PMPM) (R) Y <sub>t</sub> Variable	1st Lag X <sub>1</sub> Variable
Mar-09	222.39	
Apr-09	223.42	222.39
May-09	223.29	223.42
Jun-09	224.53	223.29
Jul-09	225.35	224.53
Aug-09	226.34	225.35
Sep-09	227.84	226.34
Nov-11	242.80	242.81
Dec-11	242.86	242.80
Jan-12	243.44	242.86
Feb-12	245.20	243.44
Mar-12	245.22	245.20

## AR(1) Forecast: Rolling Average Data



### Software Package

- Use previous four methods to predict next year's/month's cost trend
- Annual data:

Increasing Rate = 
$$\left(\frac{Data_{i+1}}{Data_i} - 1\right) * 100\%$$

• Monthly data:

Increasing Rate of 
$$i + 1^{th}$$
 month =  $\left(\frac{M_{i+1}}{M_i} - 1\right) * 100\%$ 

#### Cost Trend Software

This software is used for project the future Annual or Monthly cost trend. The data we need is "Year" and "PMPM" (Per Month Per Member). If the data you get are not PMPM, you need to calculate this first. The use of the software is as follows:

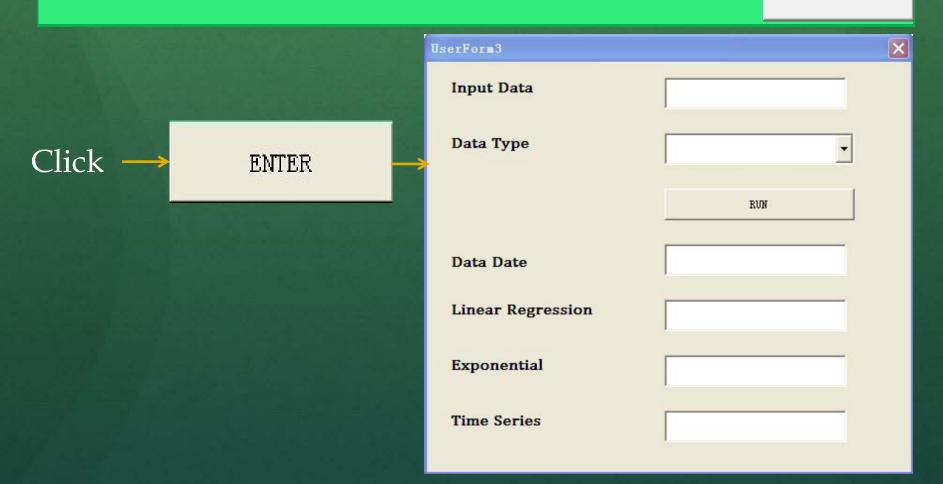
First click the buttom "ENTER" in the corner;Then

Input Data: B\*:B\* (the cell location should be "Capital" letter)

Then choose Data Type: Annual or Monthly

Then click "RUN"

ENTER



### Using Monthly Data

Here, we give an example consisting of one company's data from Tennessee.

Apr-08	217.88	May-10	221.23
May-08	222.82	Jun-10	240.26
Jun-08	215.54	Jul-10	238.43
Jul-08	228.73	Aug-10	252.59
Aug-08	229.57	Sep-10	249.83
Sep-08	227.88	Oct-10	254.83
Oct-08	245.84	Nov-10	259.98
Nov-08	214.77		
Dec-08	250.94	Dec-10	277.44
Jan-09	192.55	Jan-11	194.56
Feb-09	198.28	Feb-11	203.95
Mar-09	223.90	Mar-11	238.57
Apr-09	230.16	Apr-11	228.01
May-09	221.35	May-11	243.45
Jun-09	230.37	Jun-11	247.65
Jul-09	238.54	Jul-11	247.54
Aug-09	241.46	Aug-11	263.72
Sep-09	245.94	Sep-11	250.39
Oct-09	254.36	Oct-11	258.48
Nov-09	246.69		
Dec-09	277.80	Nov-11	259.89
Jan-10	194.58	Dec-11	278.06
Feb-10	206.14	Jan-12	201.58
Mar-10	_ 241.46	Feb-12	225.06
Apr-10	233.62	Mar-12	238.83

### Monthly Data

Year	PMPM
Apr-08	217.88
May-08	222.82
Jun-08	215.54
Jul-08	228.73
Aug-08	229.57
Sep-08	227.88
Oct-08	245.84
Nov-08	214.77
Dec-08	250.94
Jan-09	192.55
Feb-09	198.28
Mar-09	223.90
Apr-09	230.16
May-09	221.35
Jun-09	230.37

Input Data	B7:B54	
Data Type	Monthly data	
	RUN	
Data Date	4/1/2008-3/1/201	
Linear Regression	5.2911%	
Exponential	6.5669%	
Time Series	-3.2955%	
Rolling Average	0.2723%	

## Comparison

Input Data	B7:B54	
Data Type	Monthly data	
	RUN	
Data Date	4/1/2008-3/1/201	
Linear Regression	5.2911%	
Exponential	6.5669%	
Time Series	-3.2955%	
Rolling Average	0.2723%	

Linear Regression	5.29%
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Exponential Regression	6.57%
<b>-</b>	0.000/
Time Series	-3.30%
Rolling Average	0.27%

## Any Questions?